

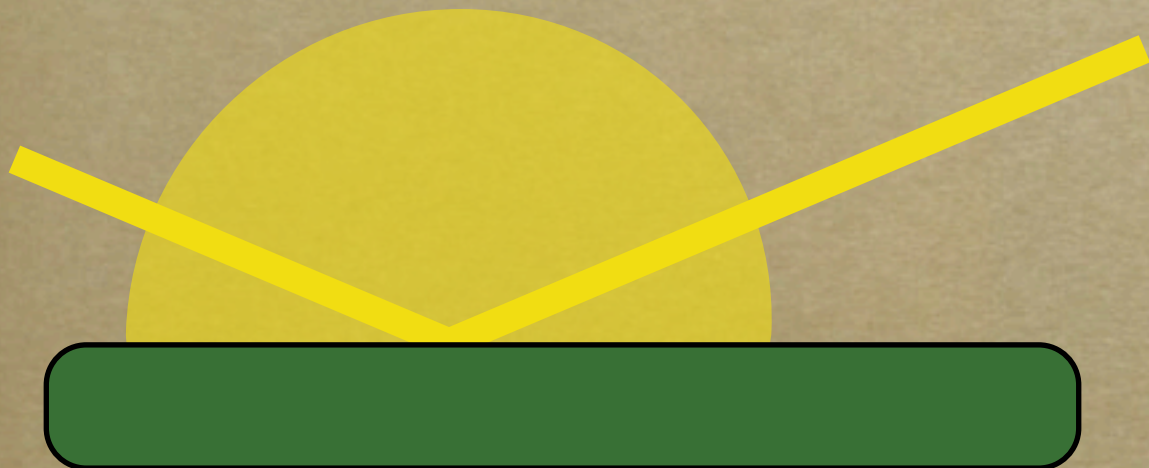
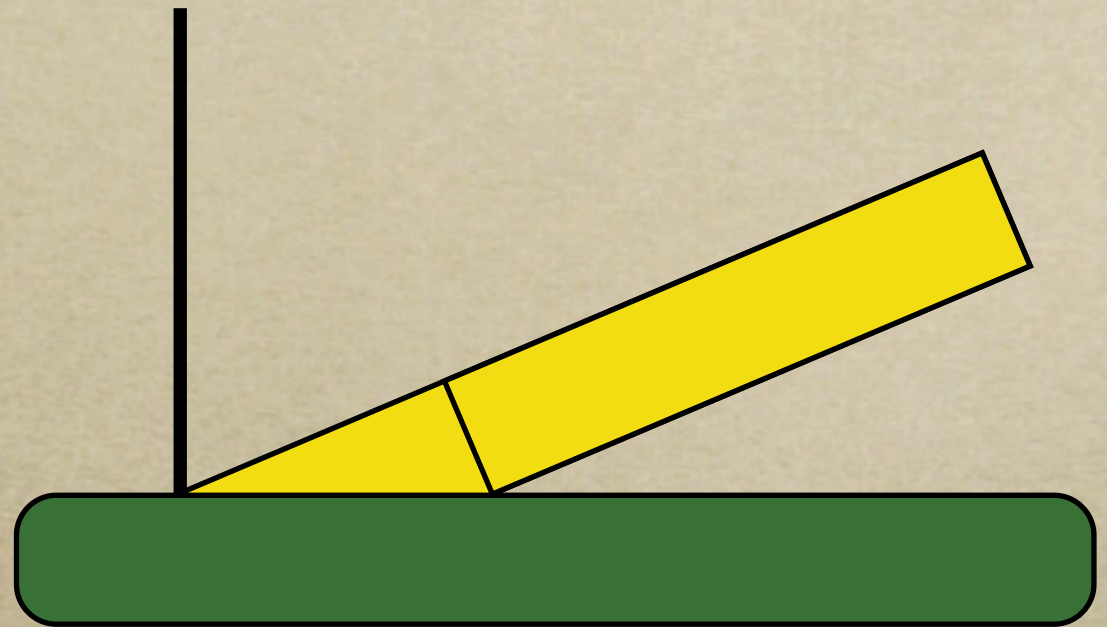
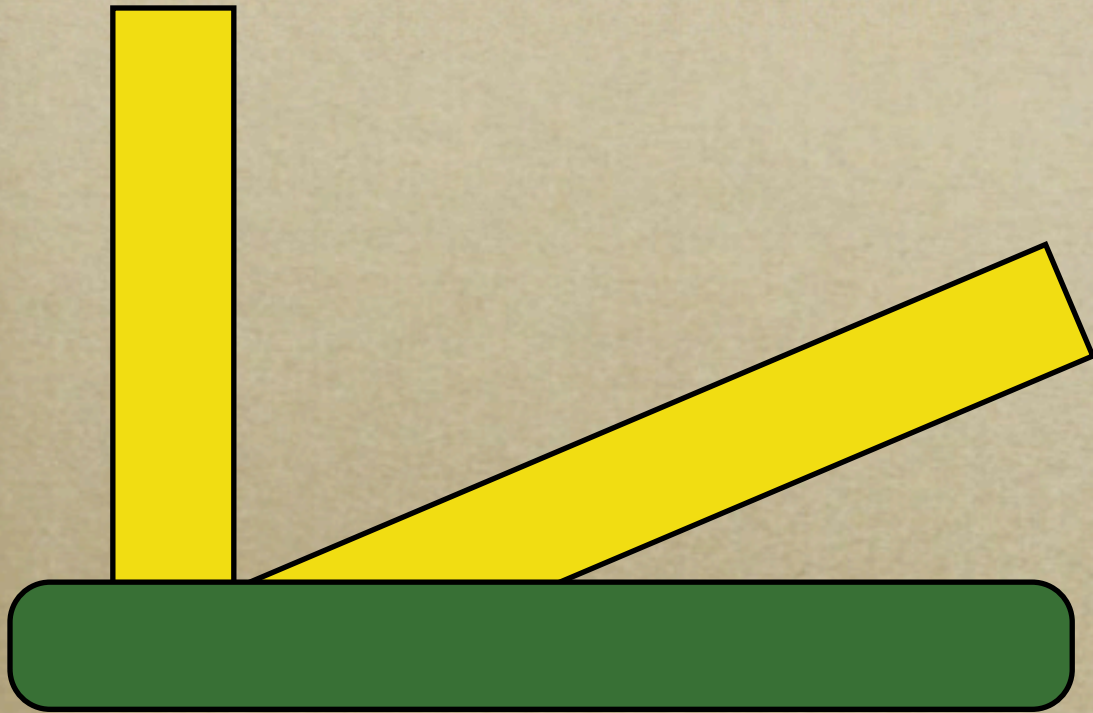
Yet more ray tracing...

Illumination models

Light: where from and where to?



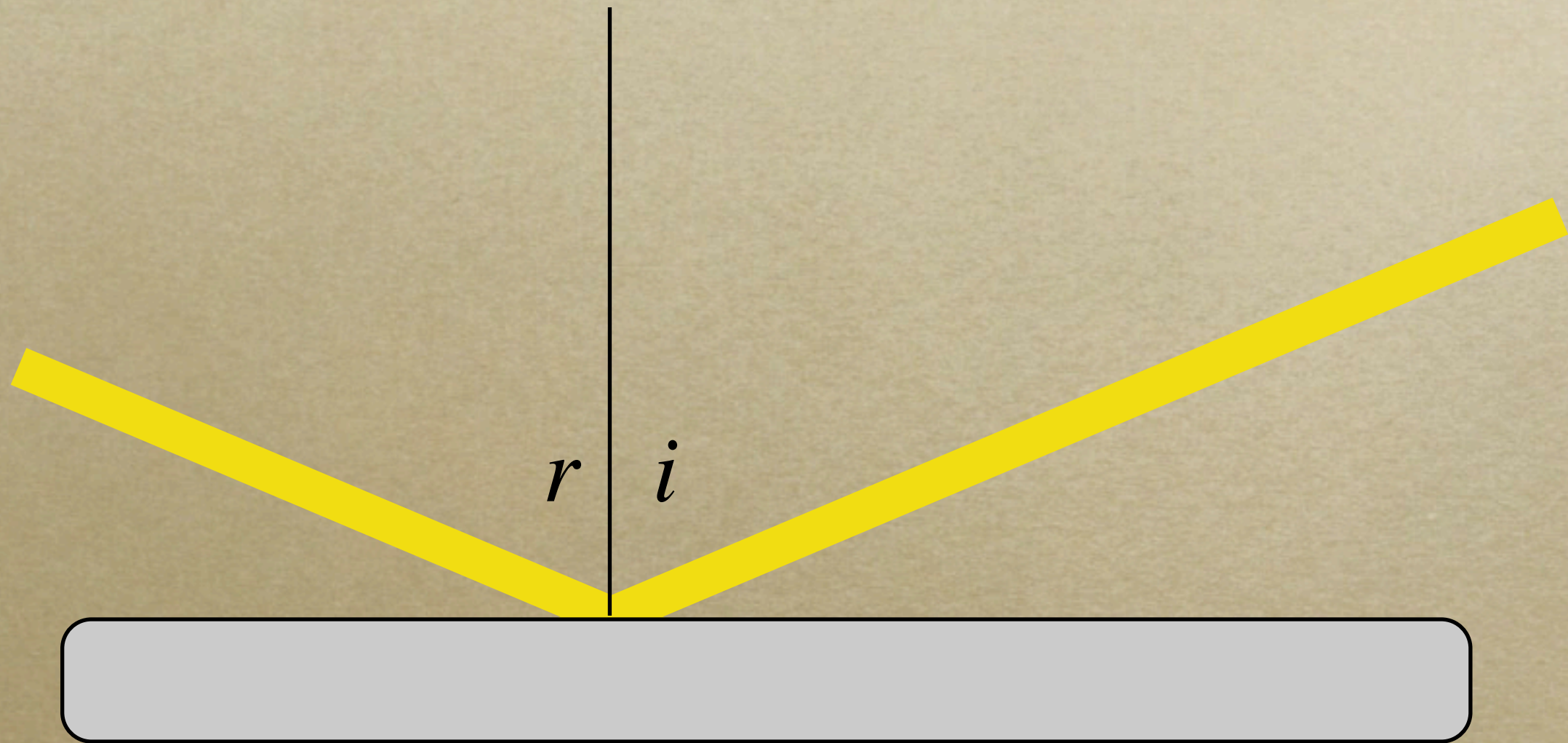
Lambertian/Diffuse Illumination



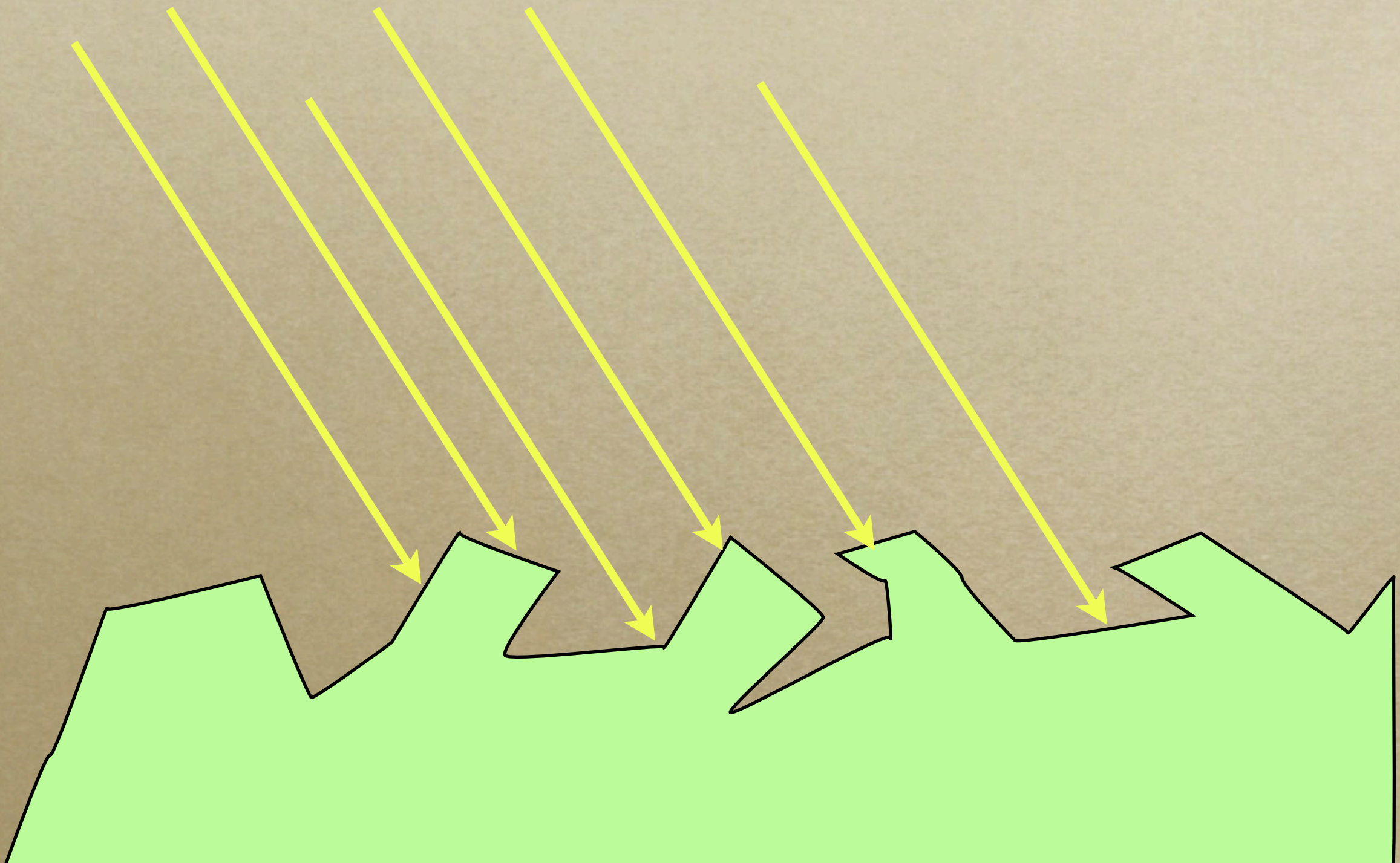
$$I_d = k_d I \hat{\mathbf{n}} \cdot \hat{\boldsymbol{\ell}}$$

Mirror reflection

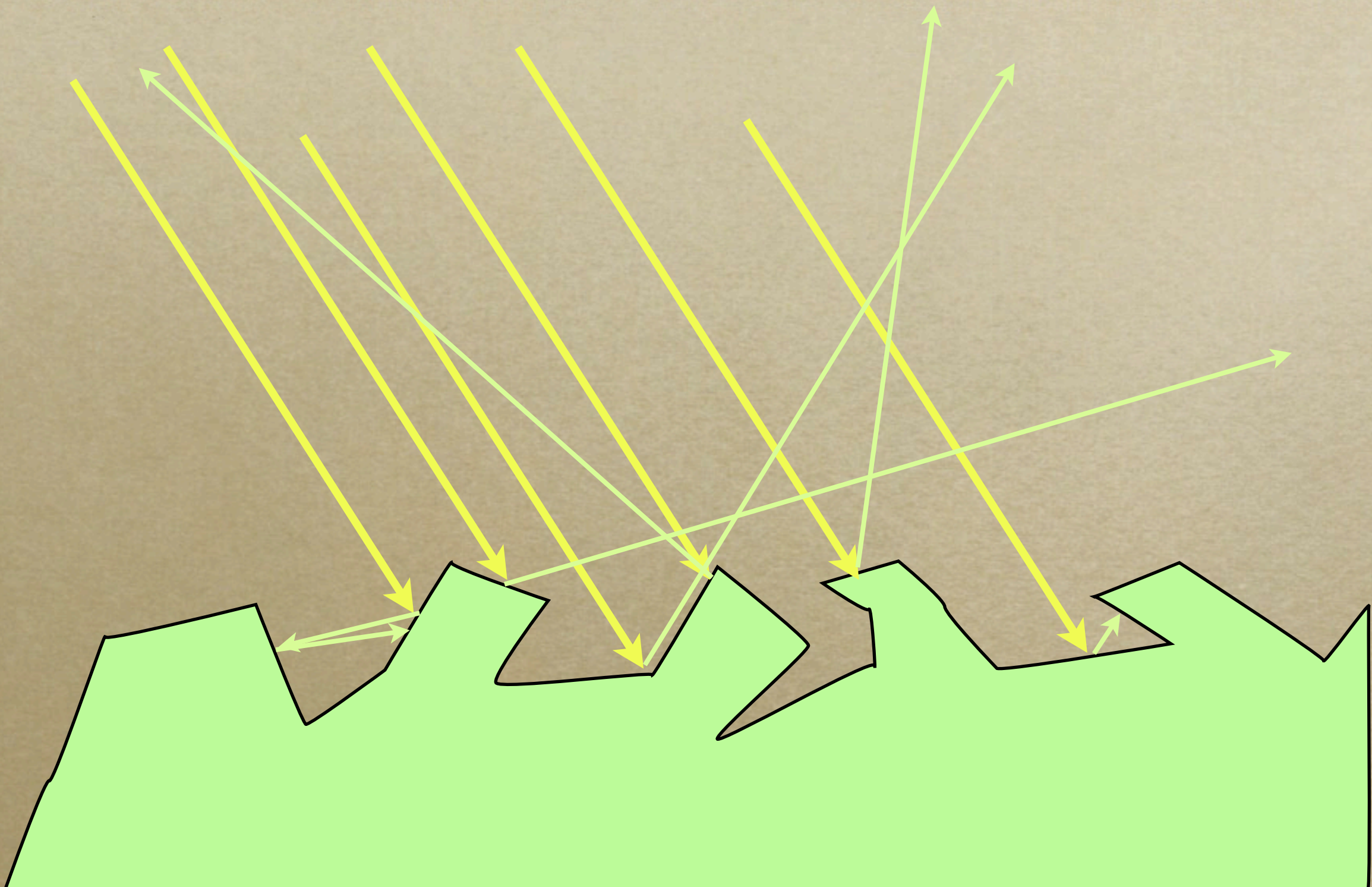
$$i = r$$



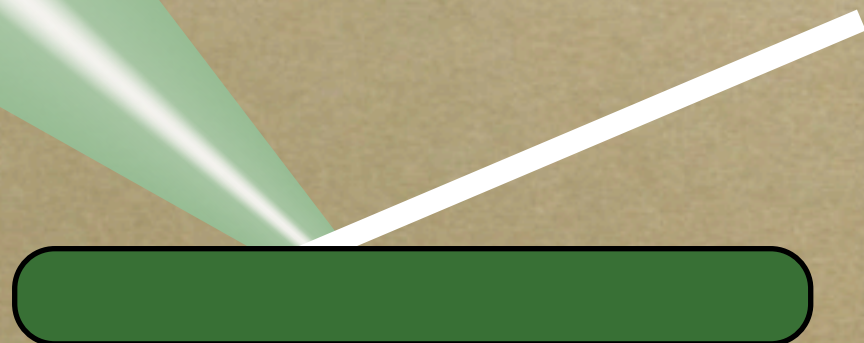
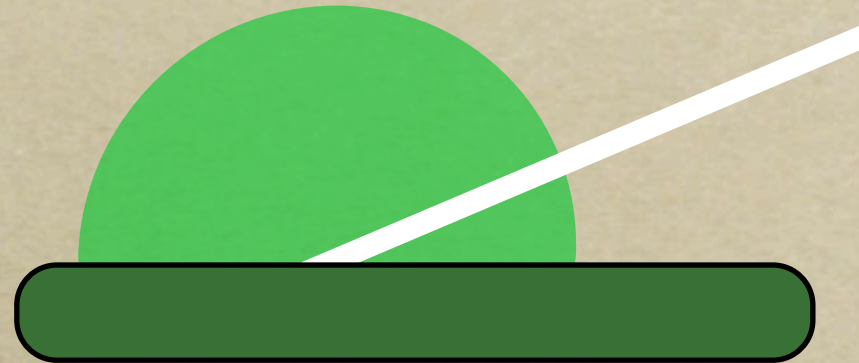
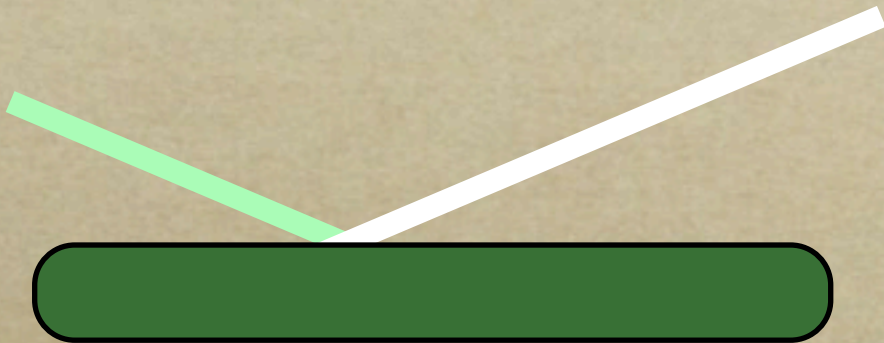
Real surfaces are complicated



Real surfaces are complicated



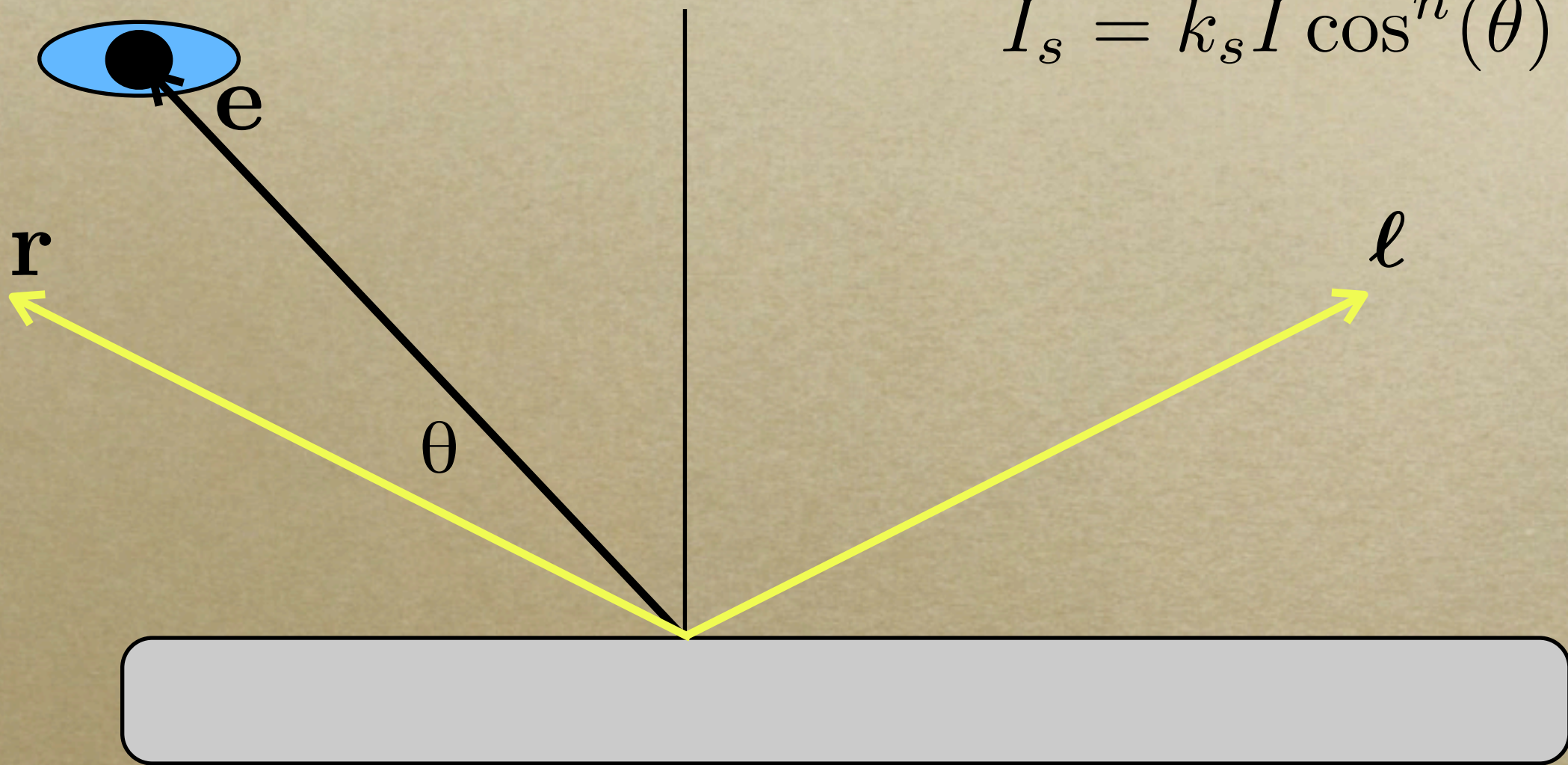
Approximate behaviour



Some reflected
Some diffused
Some in-between

Phong's Model

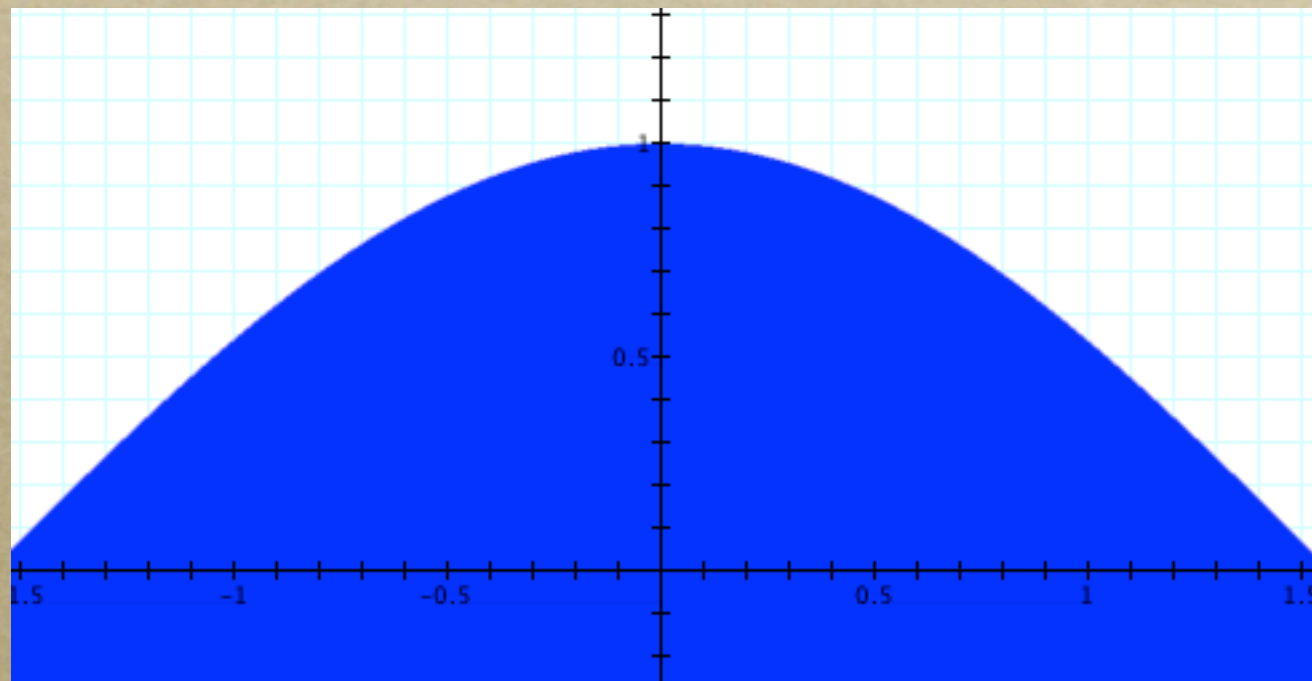
$$I_s = k_s I \cos^n(\theta)$$



Why $\cos^n(\theta)$?

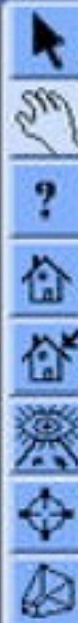
$$n = 1..6500$$

Why $\cos^n(\theta)$?

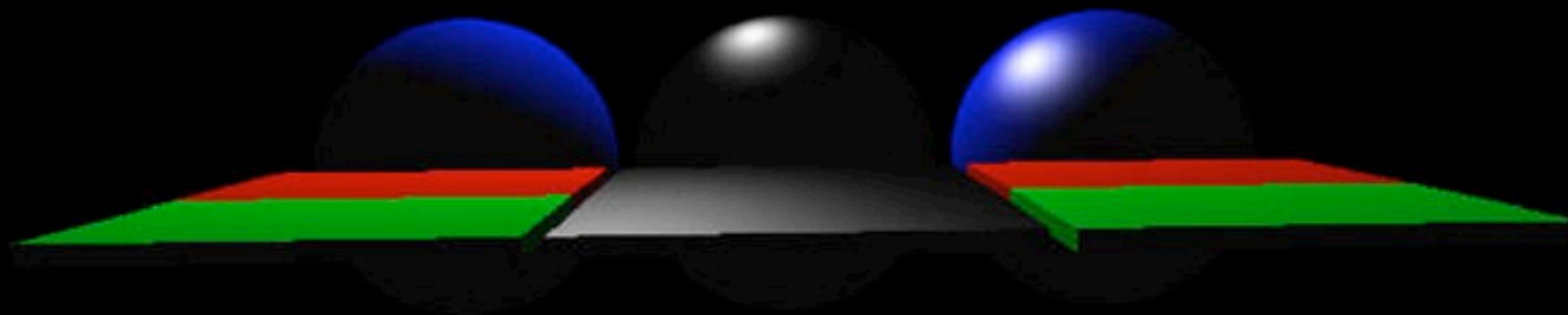


$$n = 1..6500$$

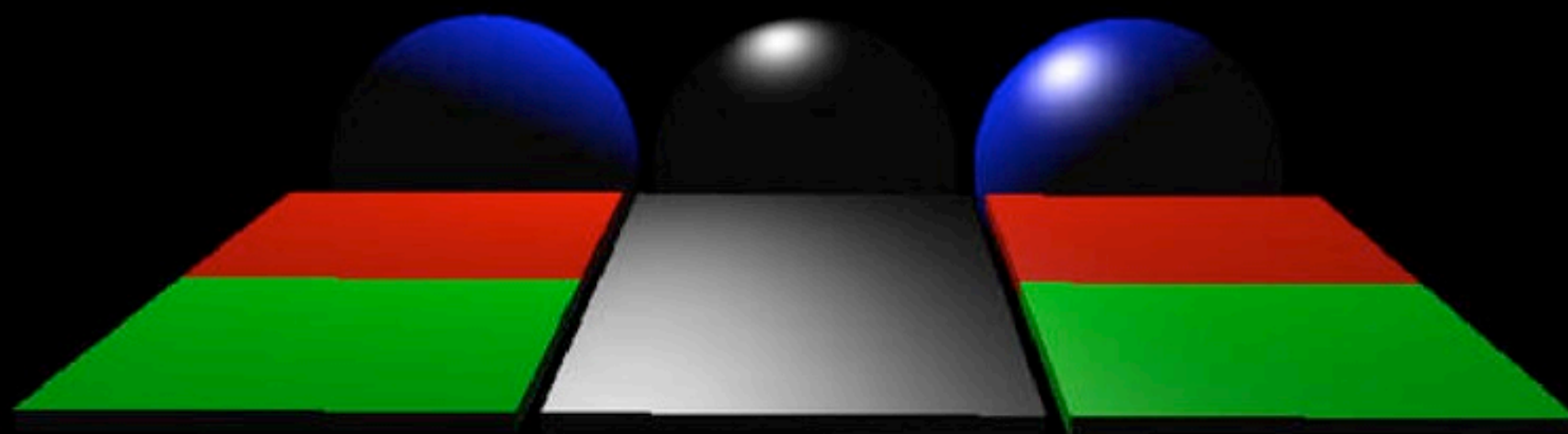
Diffuse Vs Specular



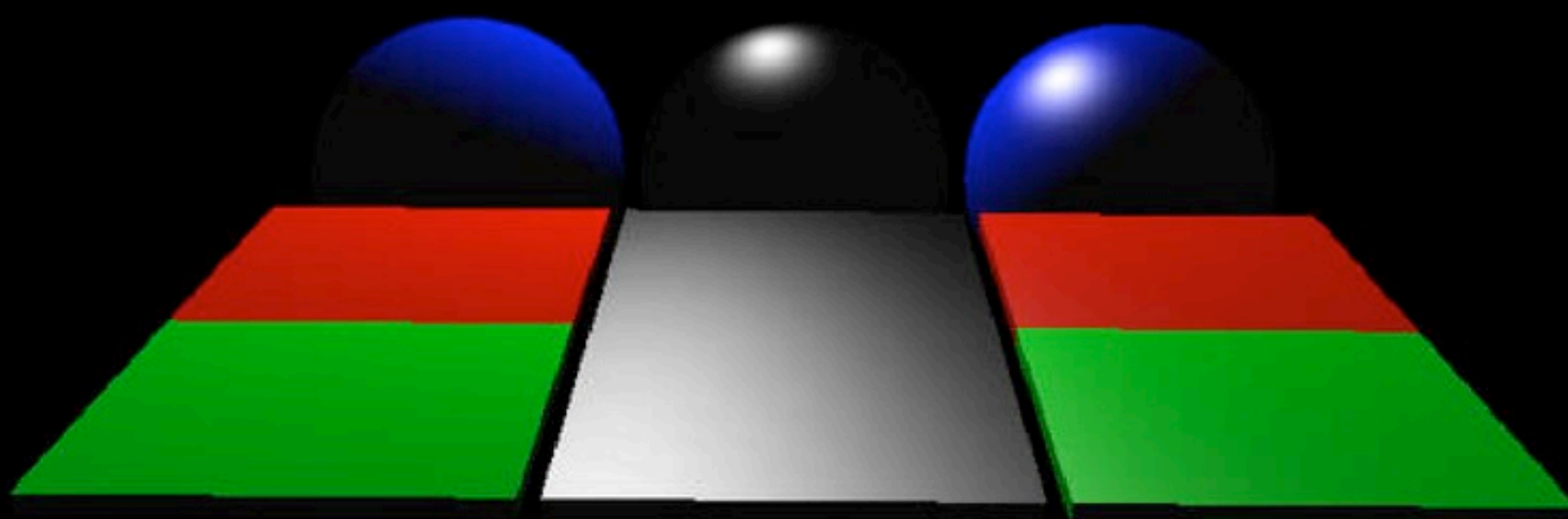
Diffuse Vs Specular



Diffuse Vs Specular

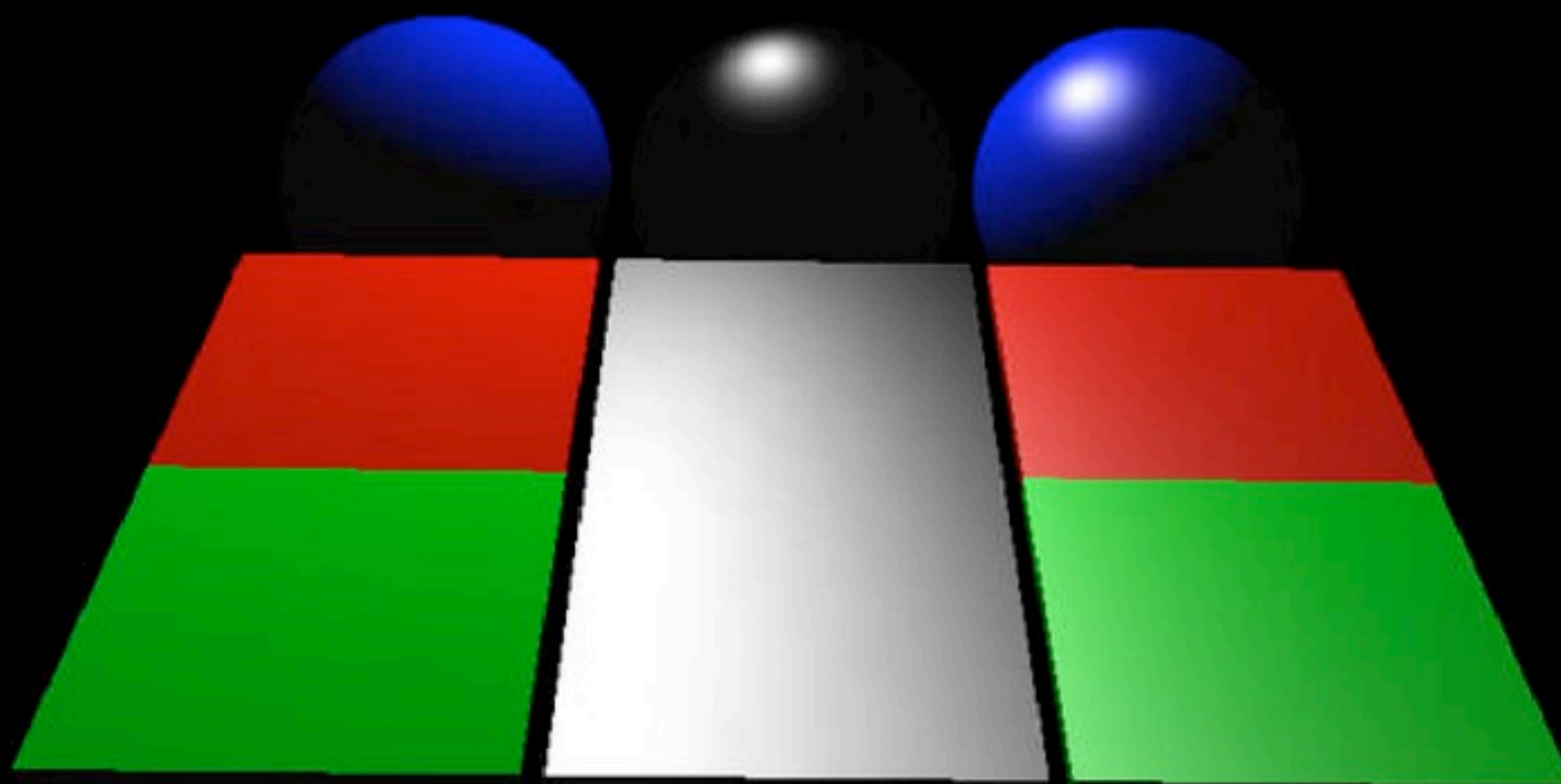


Diffuse Vs Specular

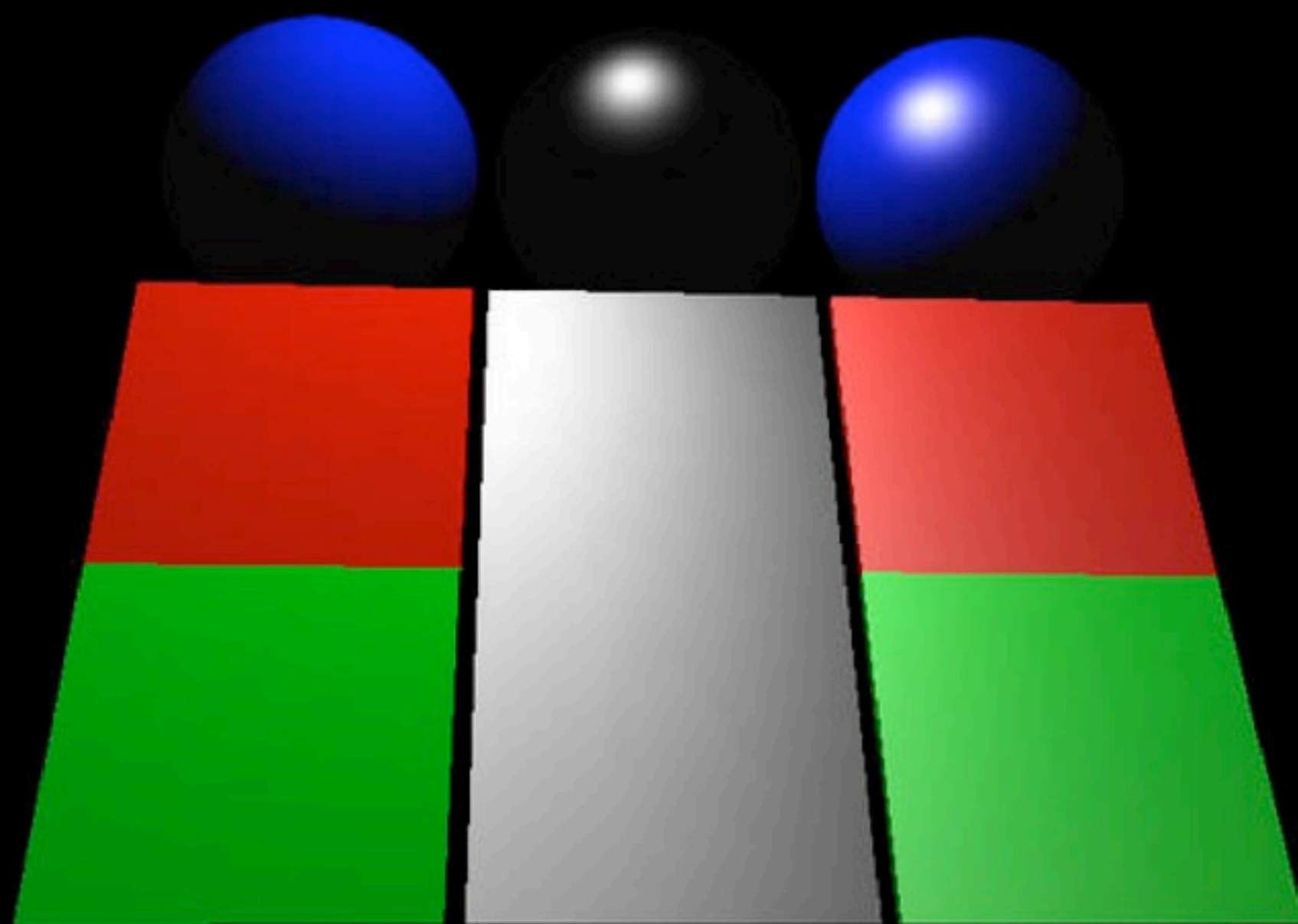




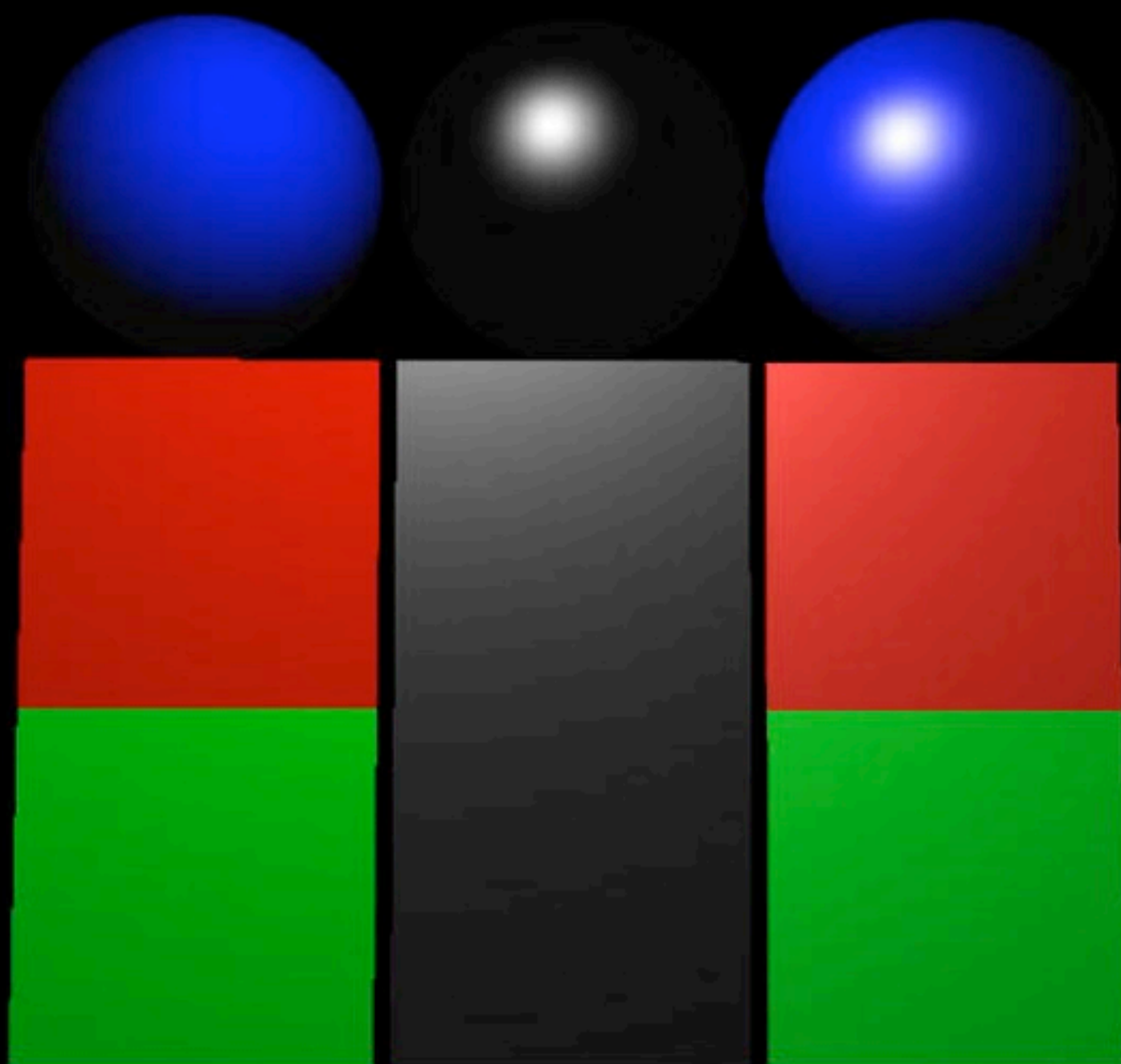
Diffuse Vs Specular



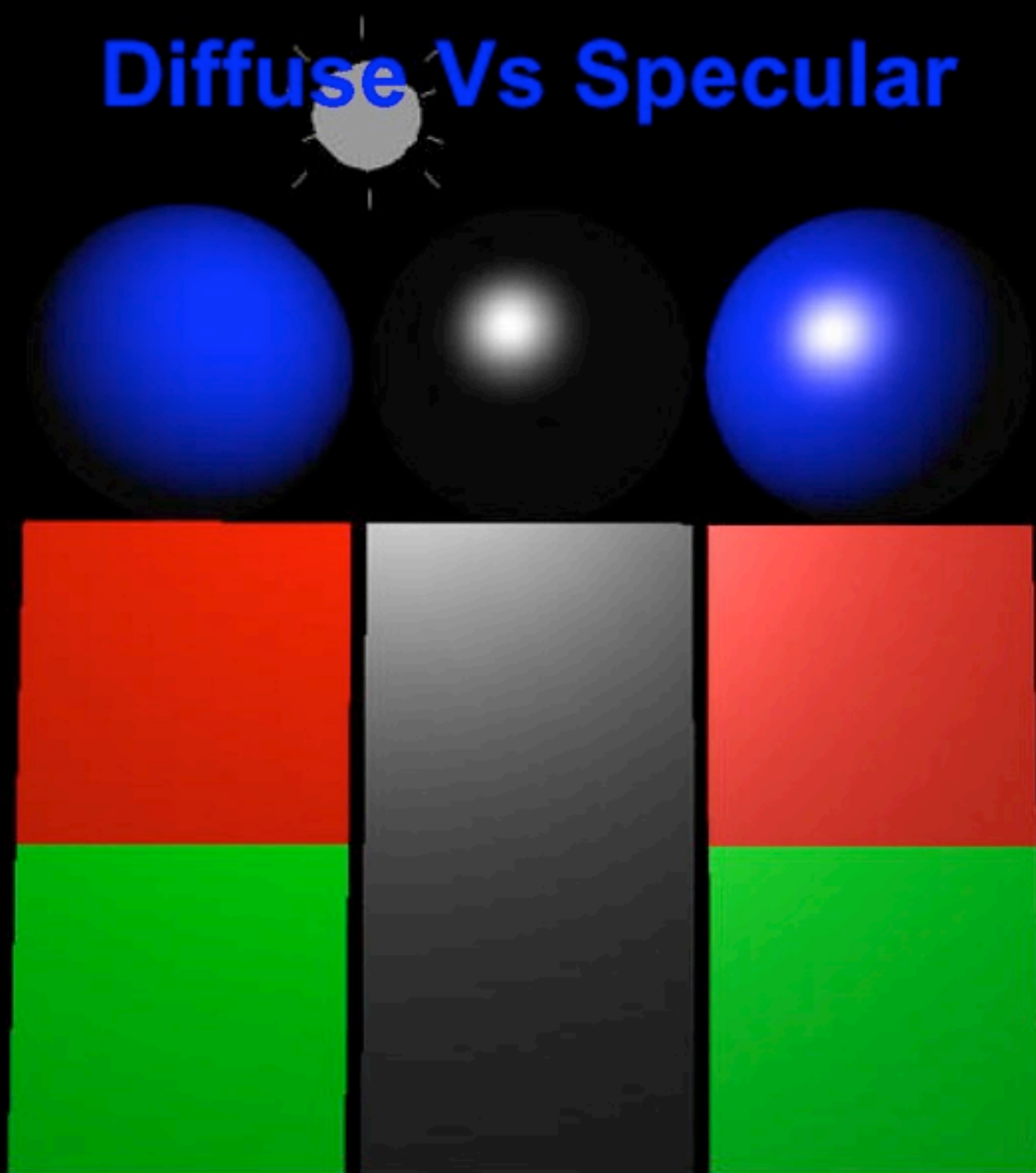
Diffuse Vs Specular



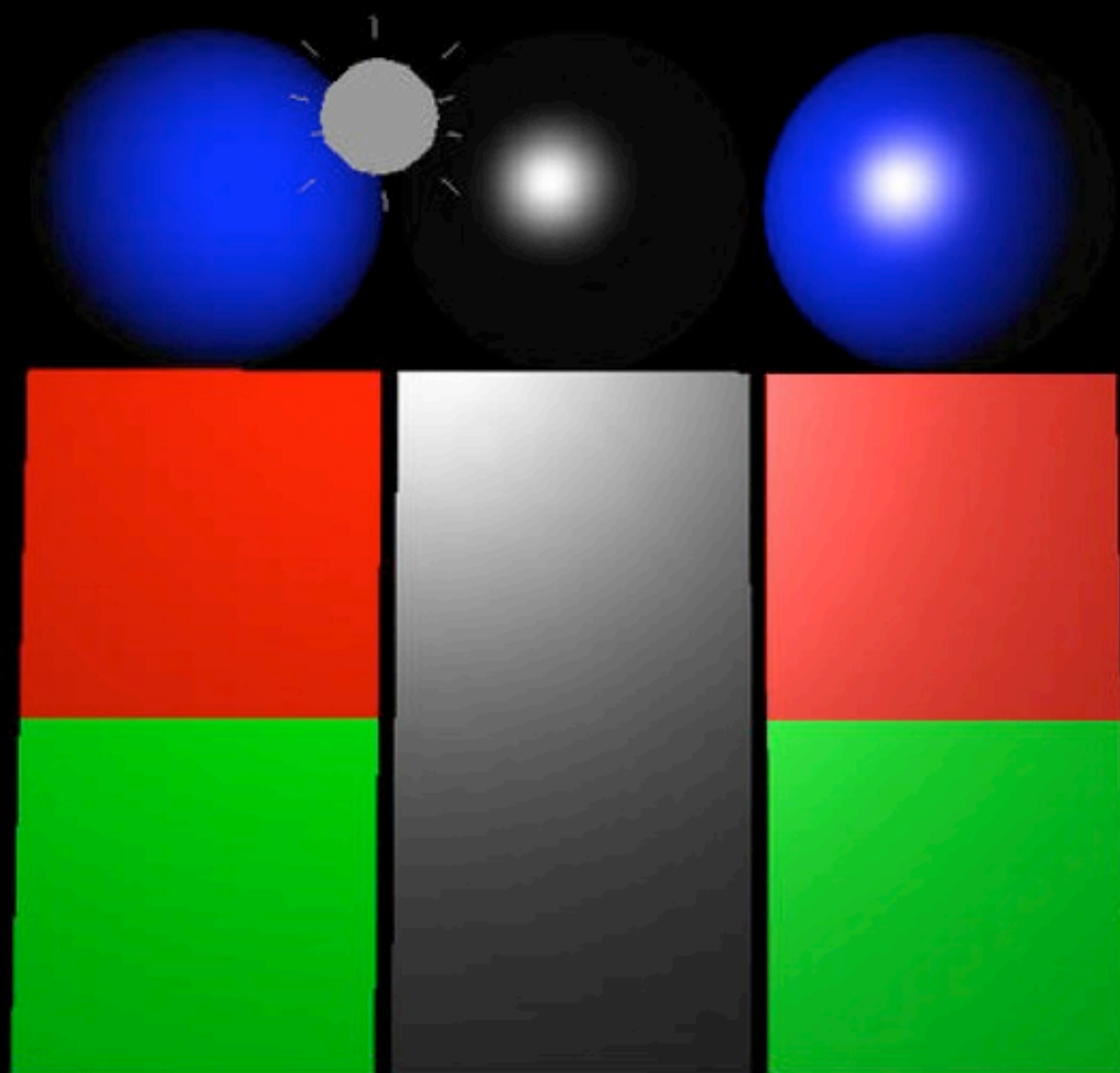
Diffuse Vs Specular



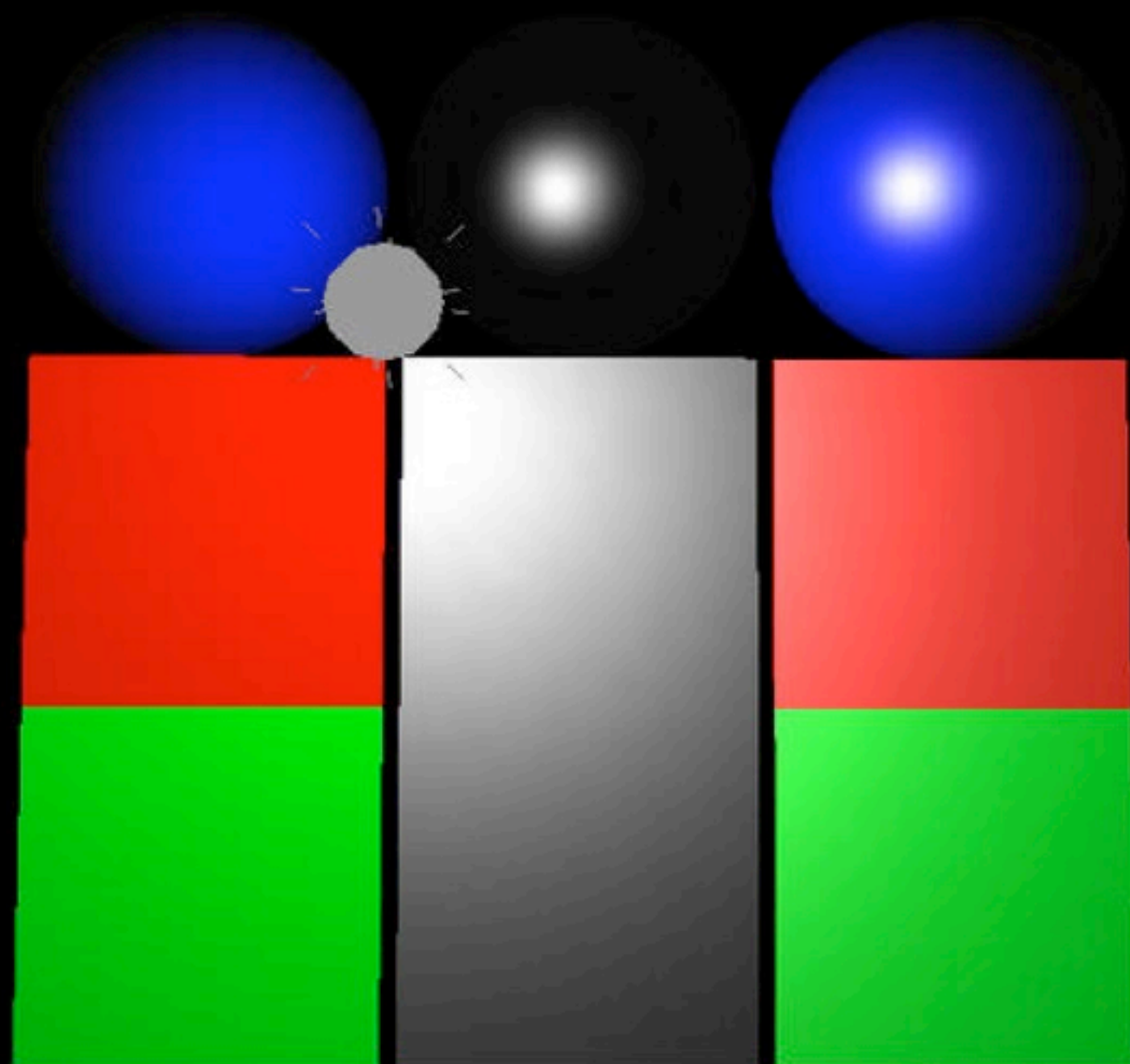
Diffuse Vs Specular



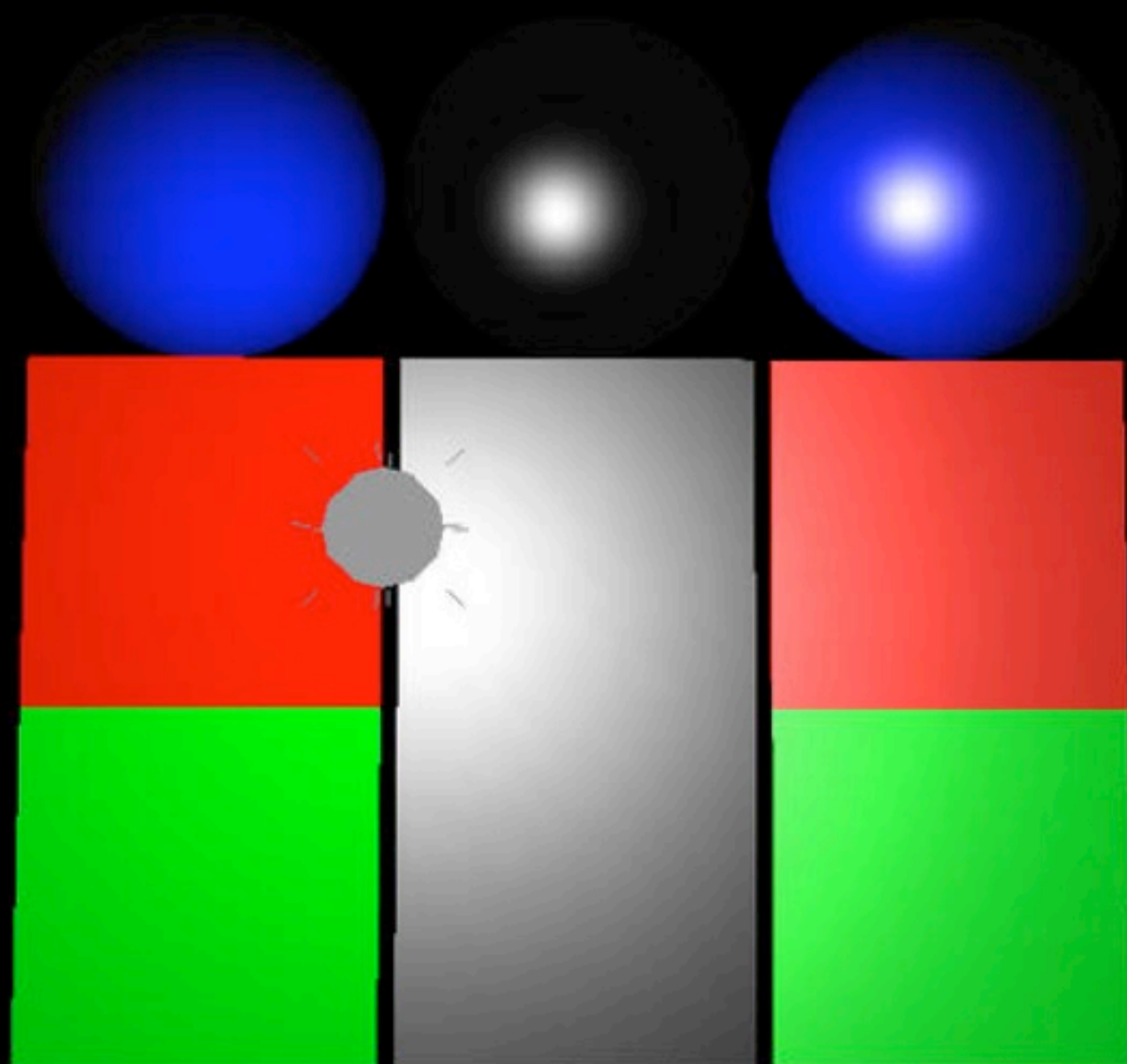
Diffuse Vs Specular



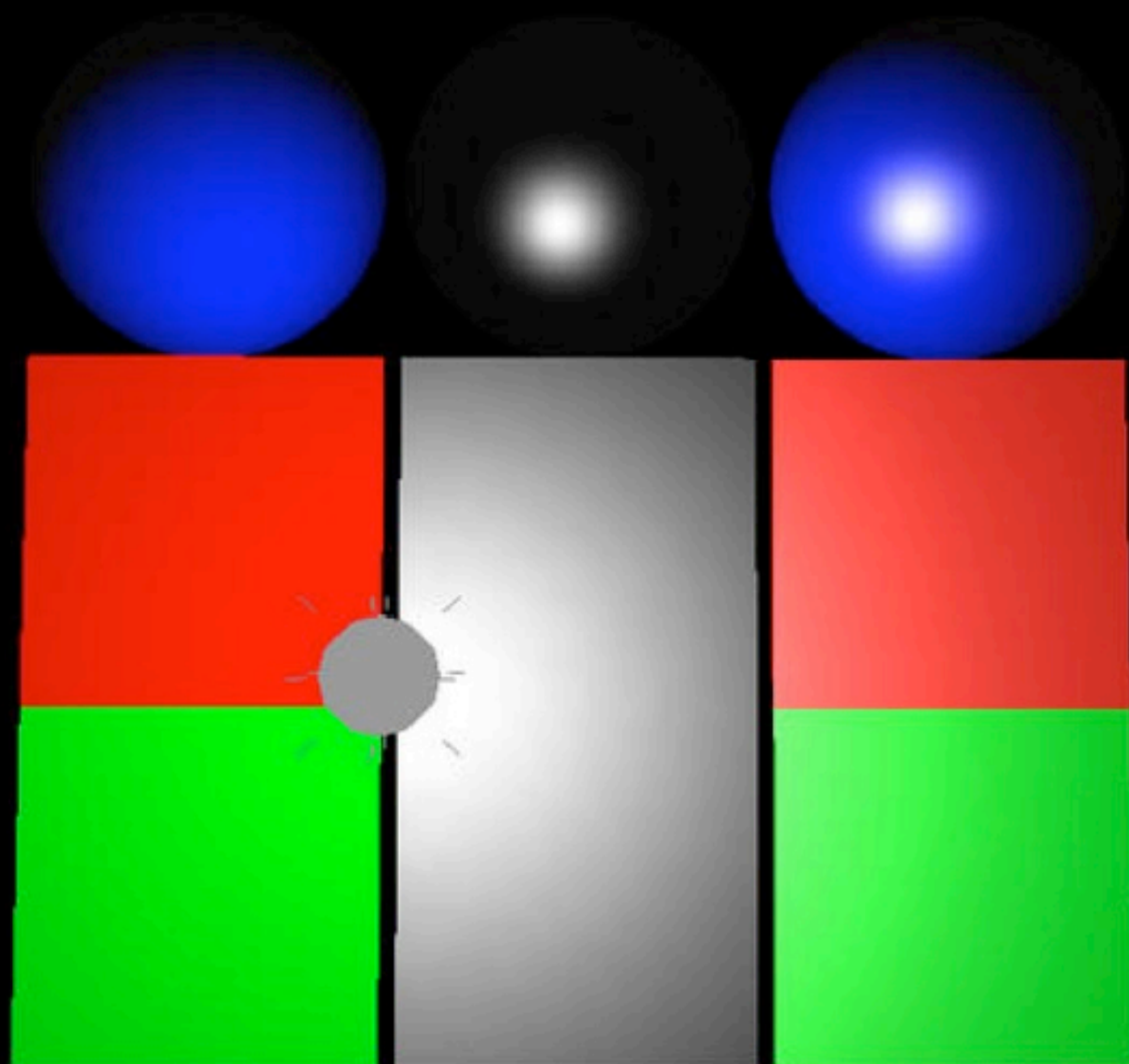
Diffuse Vs Specular



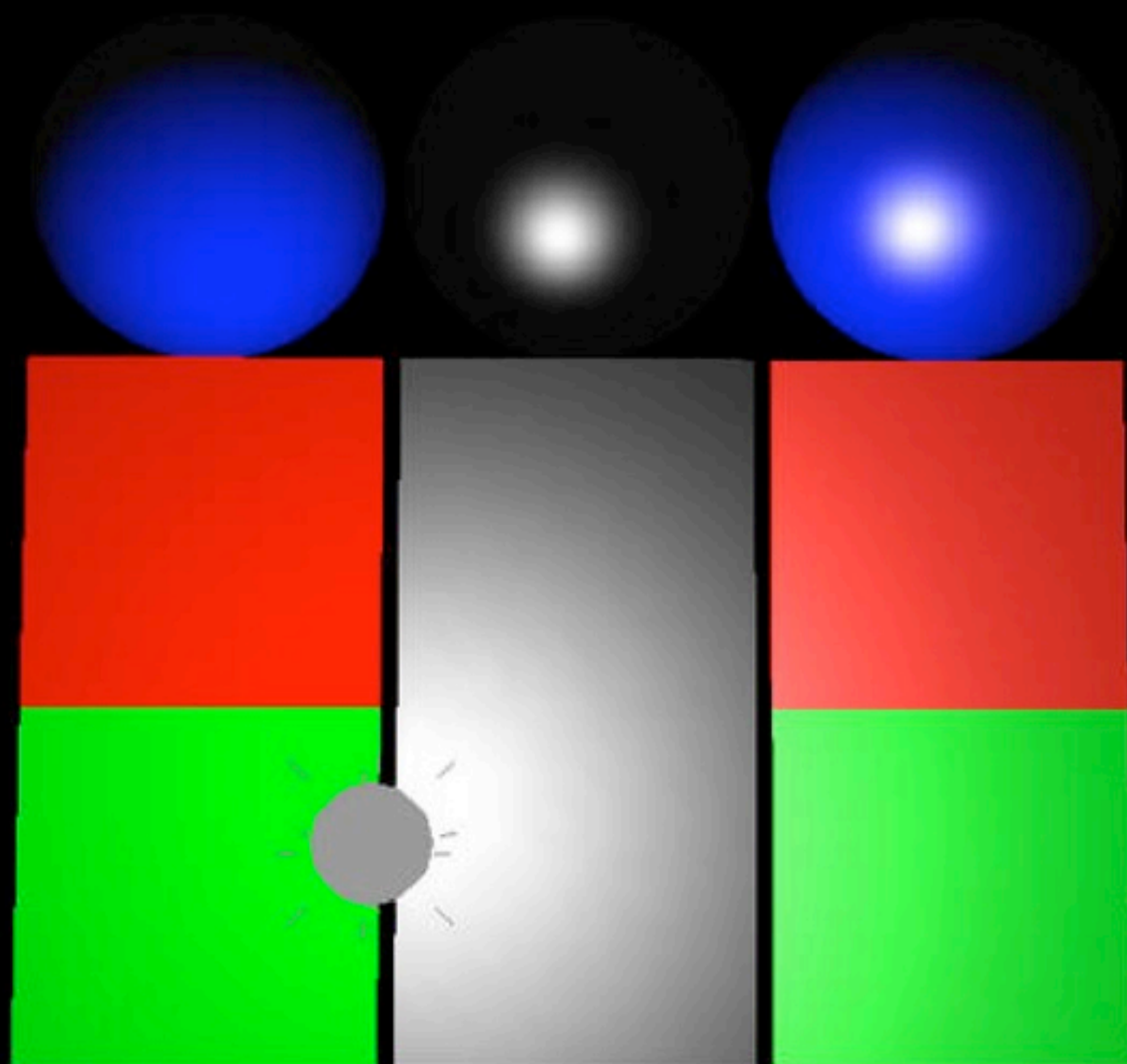
Diffuse Vs Specular



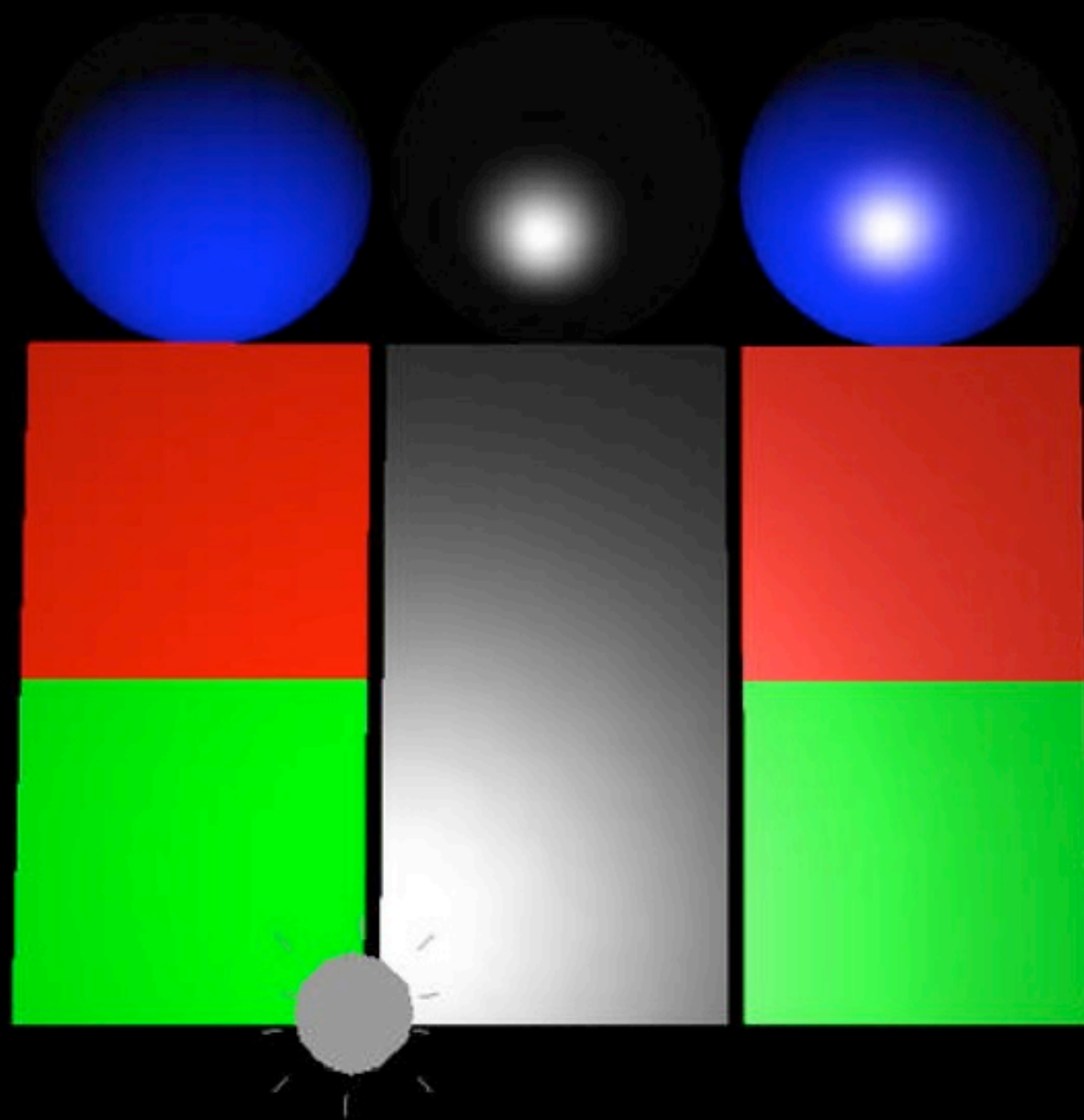
Diffuse Vs Specular



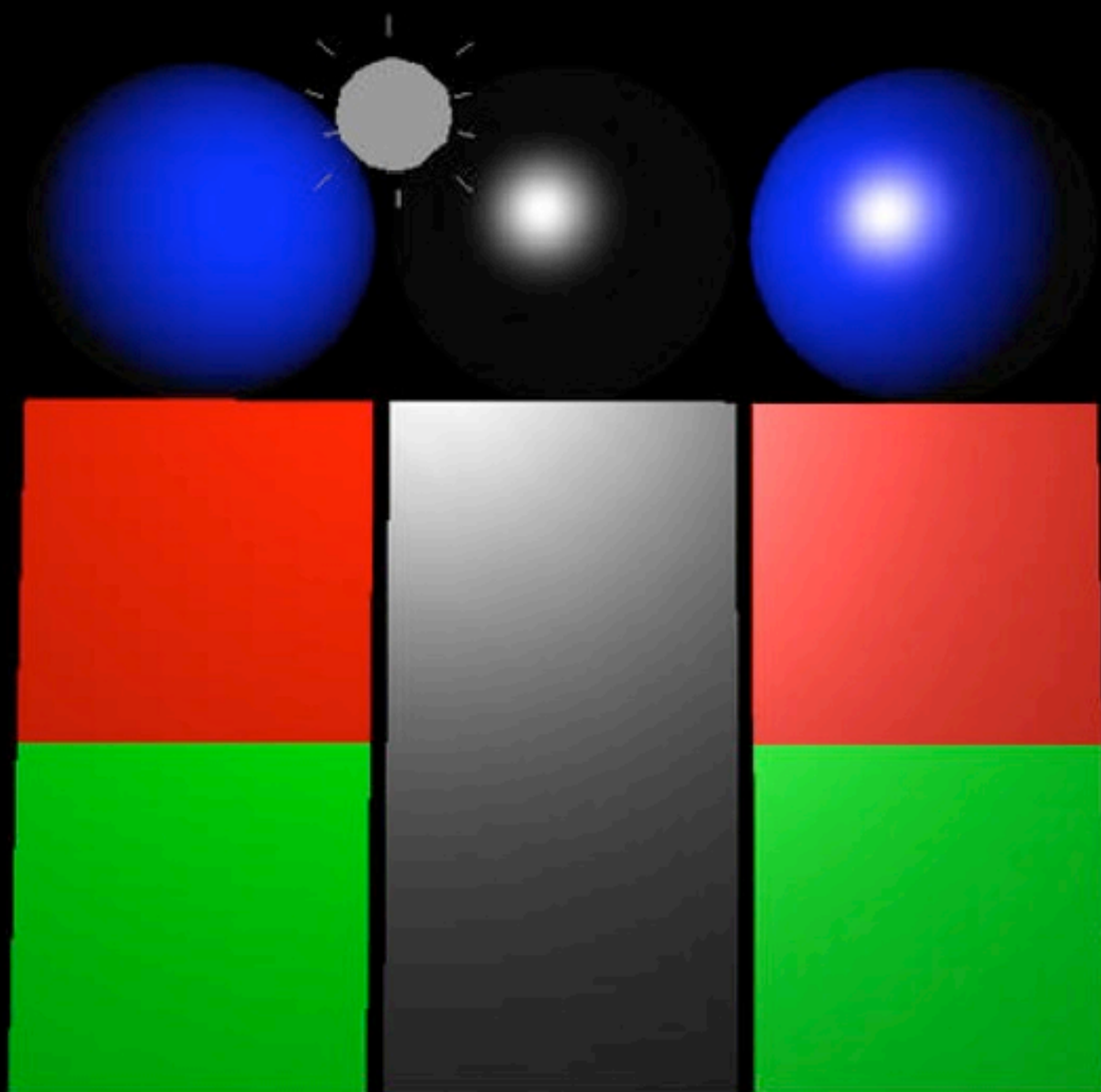
Diffuse Vs Specular



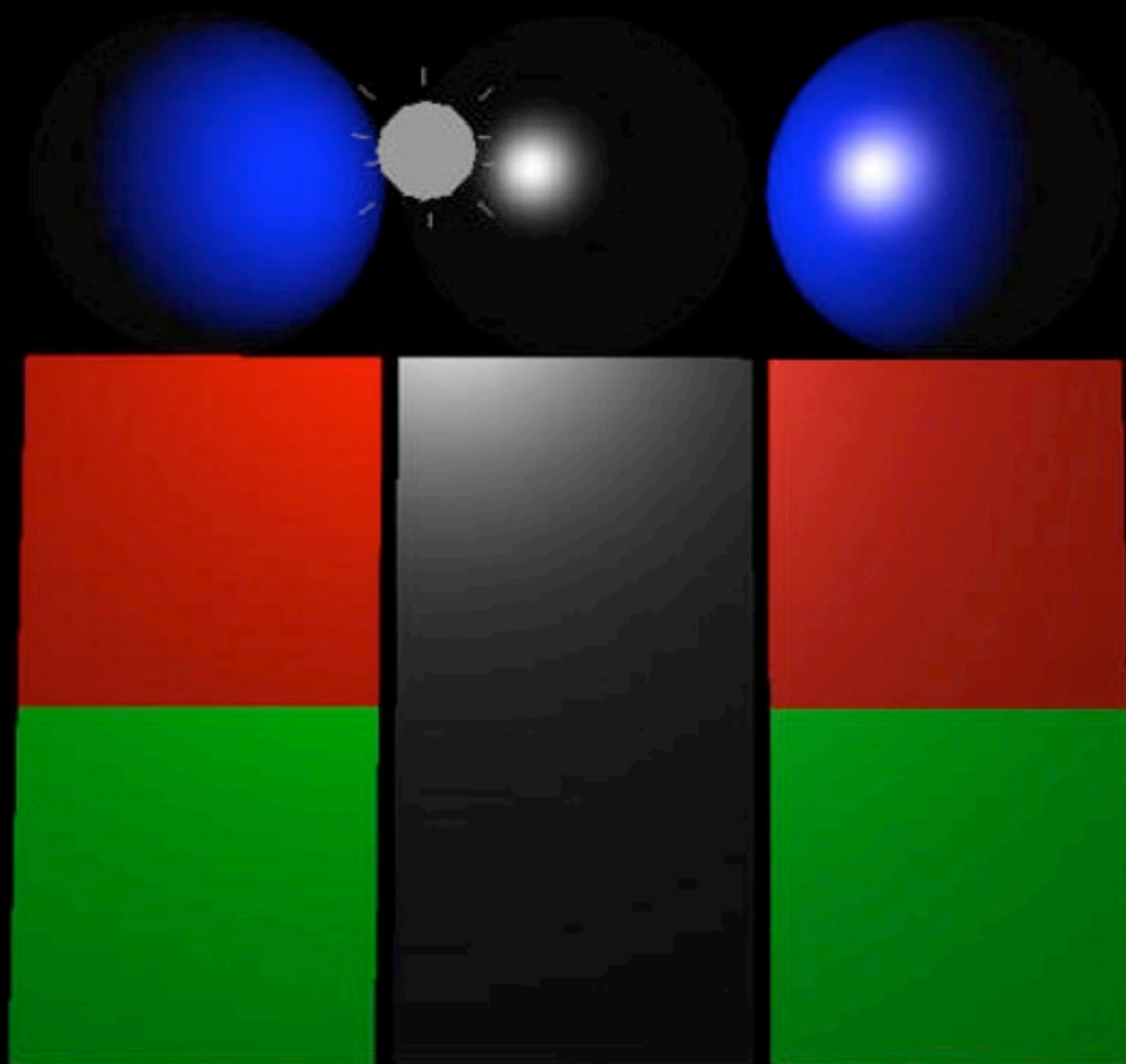
Diffuse Vs Specular



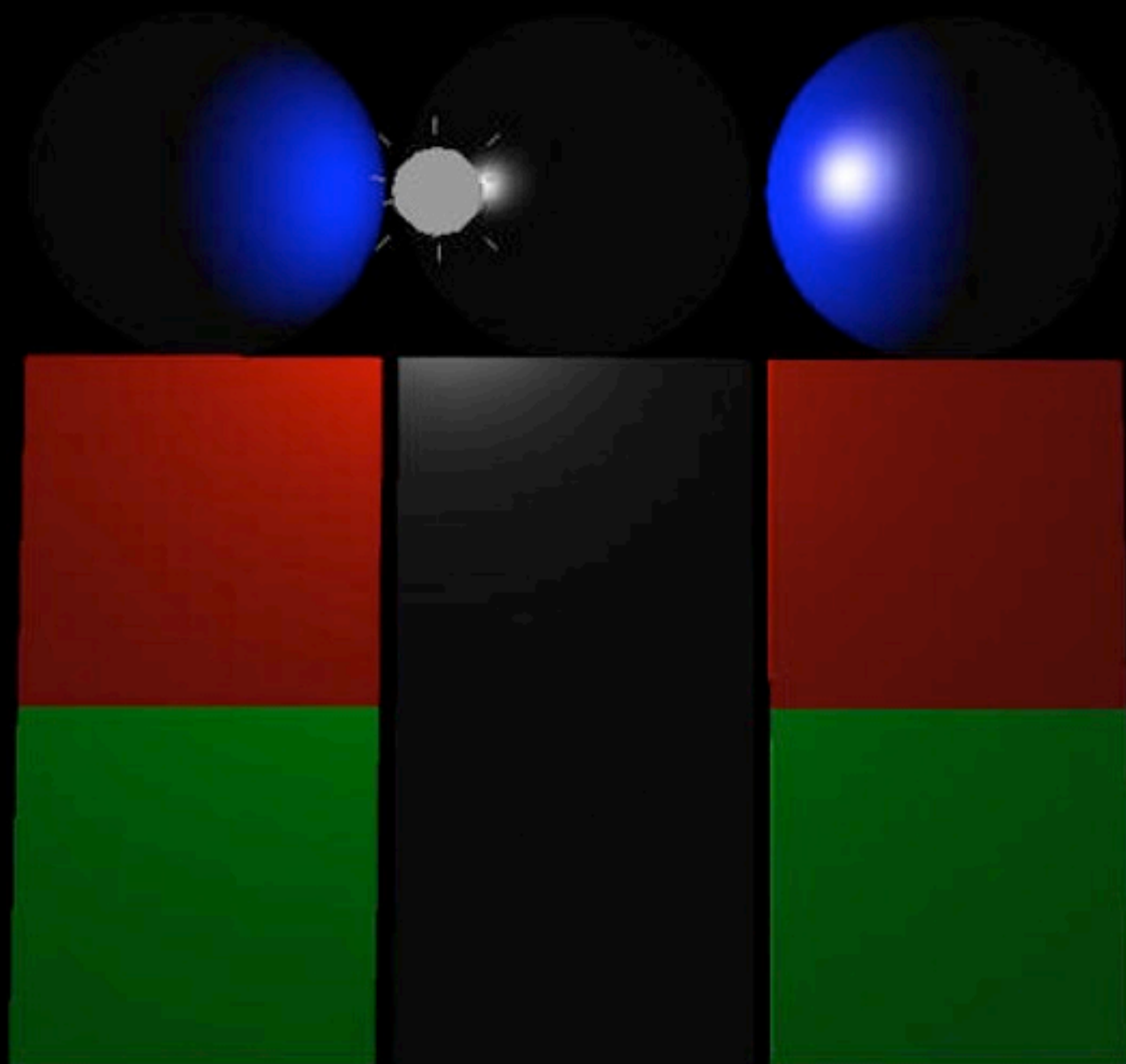
Diffuse Vs Specular



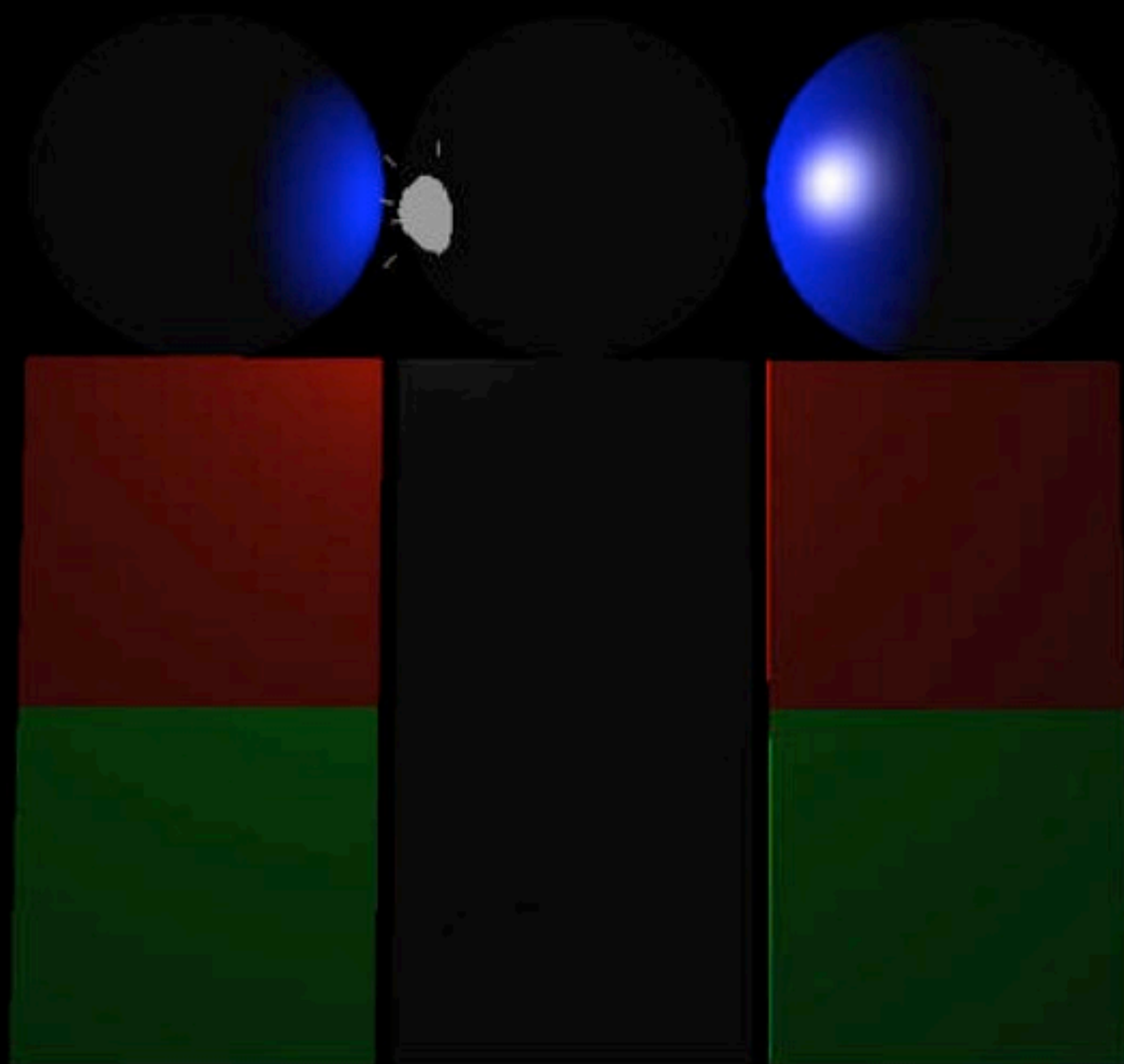
Diffuse Vs Specular



Diffuse Vs Specular



Diffuse Vs Specular



Light in the shadows



Ambient light

- *To avoid complete blackness where there is no direct light, we add a small amount of constant, directionless light.*
- *This is called ambient light or ambient illumination as it approximates the light all around us.*

Simple light model

$$I_{total} = I_a k_a + I_j \left(k_d (\hat{\ell}_j \cdot \hat{\mathbf{n}}) + k_s (\hat{\mathbf{e}} \cdot \hat{\mathbf{r}}_j)^n \right)$$

where I_a is the intensity of ambient light,

I_j is the intensity of the light source

and, k_a , k_d , k_s , and n are constants.

More than one light?

$$I_{total} = I_a k_a + \sum_{j \in \text{visible lights}} I_j \left(k_d (\hat{\ell}_j \cdot \hat{\mathbf{n}}) + k_s (\hat{\mathbf{e}} \cdot \hat{\mathbf{r}}_j)^n \right)$$

Shadows

A light source illuminates a surface only if there is nothing in between.

So before we add in $I_j \left(k_d(\hat{\ell}_j \cdot \hat{\mathbf{n}}) + k_s(\hat{\mathbf{e}} \cdot \hat{\mathbf{r}}_j)^n \right)$ for a particular j , we need to see if the surface at that point is in shadow from light source, j .

Shadow rays

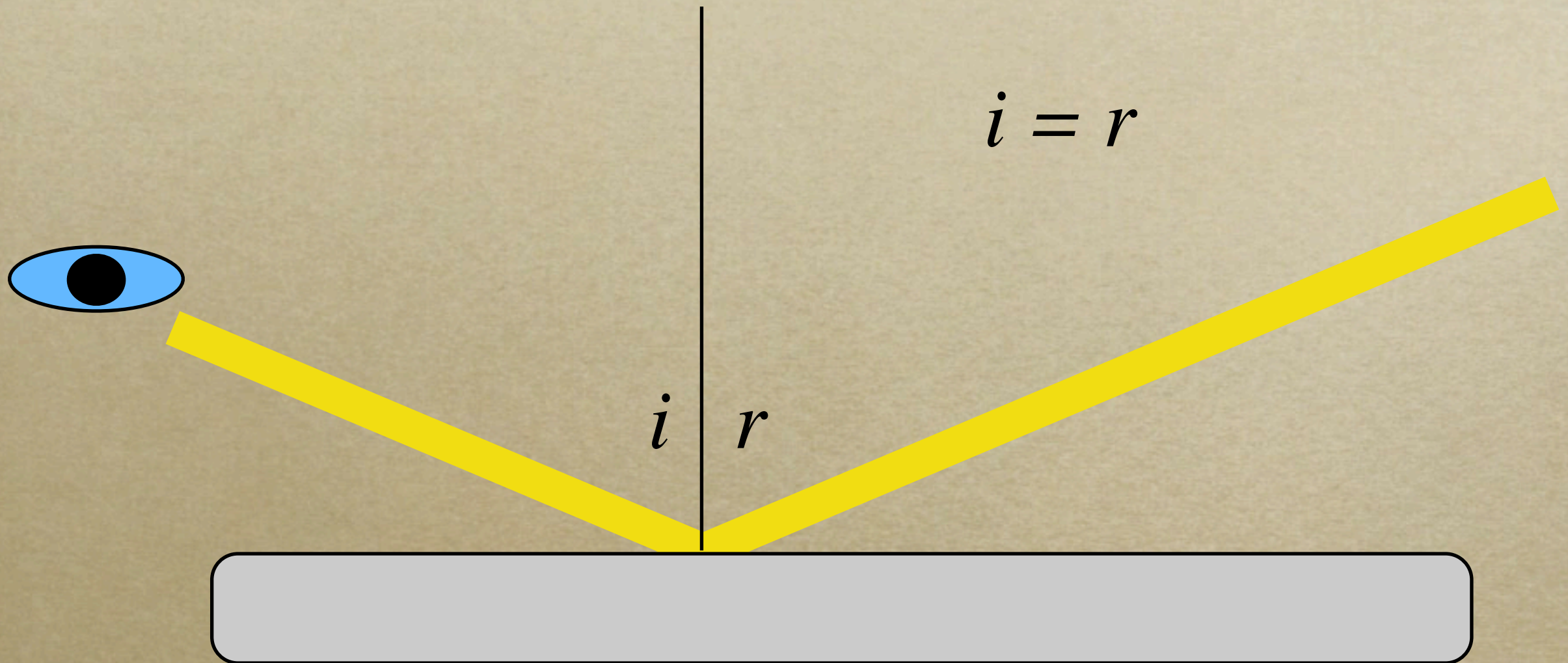
Cast a ray from the hit point, \mathbf{p}_h , to each light source's position, \mathbf{p}_ℓ

This is the ray $\mathbf{p} = \mathbf{p}_h + (\mathbf{p}_\ell - \mathbf{p}_h)t$

Notice that when $t = 1$, $\mathbf{p} = \mathbf{p}_\ell$

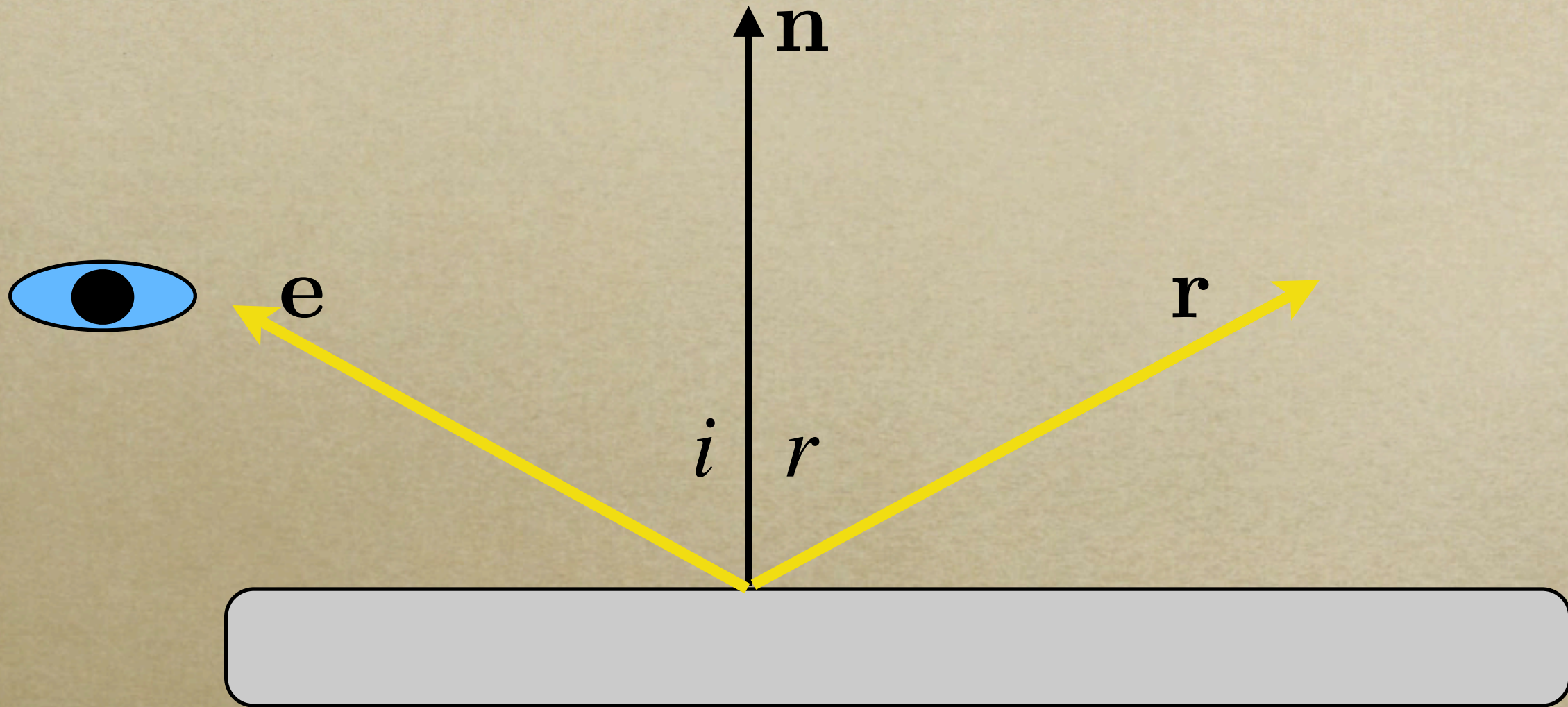
So we test this ray to see if there is an intersection with $t < 1$

Mirror reflections



There is also light from the reflected ray.

Reflections



$$\mathbf{r} = 2\mathbf{n}(\mathbf{e} \cdot \mathbf{n}) - \mathbf{e}$$

(Assumes \mathbf{n} is a unit vector.)

Truly recursive

- *So we trace a new ray in the direction \mathbf{r}*
- *Whatever we see along that line is multiplied by a reflection coefficient k_r , and added to the illumination of the hit point.*
- *This reflection ray can generate its own shadow and reflection rays.*

Next Lecture...

Refraction